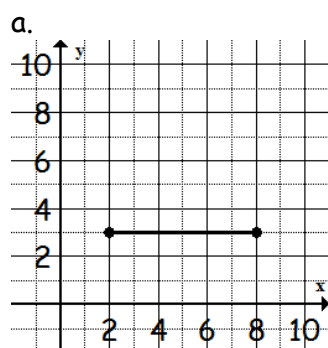
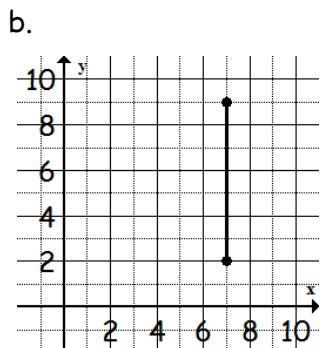


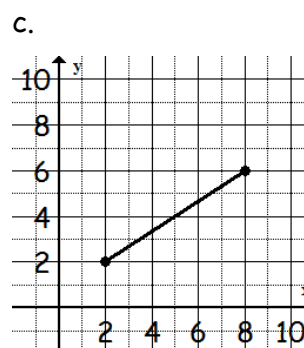
Midpoint formula: Find the midpoint between the given points.



Midpoint:



midpoint:



midpoint:

d. (1,3) and (5,9)

e. (x_1, y_1) and (x_2, y_2)

This is the midpoint formula.

1. Use the midpoint formula to find the midpoint. Show your work.

a. $(-4, 5)$ and $(-2, 11)$

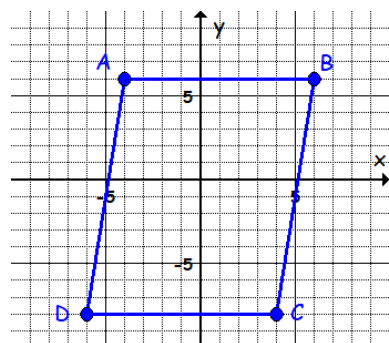
b. $(4, -3)$ and $(-7, 5)$

Midpoints of the diagonals of a parallelogram:

We know the diagonals of a parallelogram bisect each other.
Show this on the parallelogram:



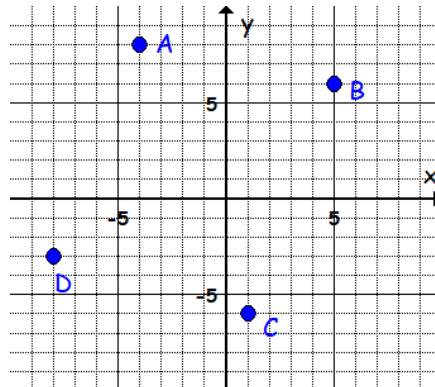
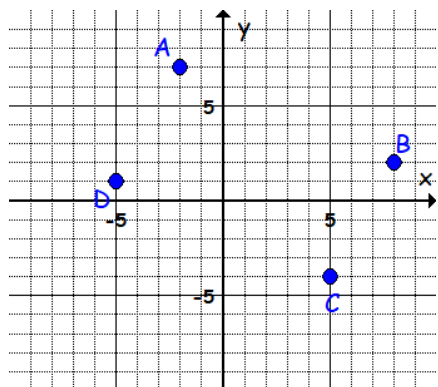
ABCD is a parallelogram, find the midpoints of both diagonals.



What do you notice?

If the midpoints are different, can it still be a parallelogram? Explain.

In this unit, you have learned the distance formula, slope and midpoints. Using this knowledge, determine if the points form a parallelogram. Show your work.



Midsegments of triangles

Step 1: Find and plot the midpoints of each side.

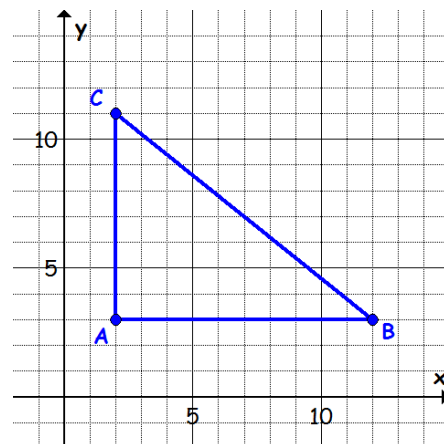
midpoint of $\overline{AB} = (\quad , \quad)$ Label this point D

midpoint of $\overline{BC} = (\quad , \quad)$ Label this point E.

midpoint of $\overline{AC} = (\quad , \quad)$ Label this point F

Step 2: Draw \overline{FE} , \overline{DF} , and \overline{DE} .

These are the midsegments of $\triangle ABC$



Step 3: Find the slope of each segment:

\overline{AB} : _____ \overline{BC} : _____ \overline{AC} : _____
 \overline{FE} : _____ \overline{DF} : _____ \overline{DE} : _____

What do you notice? _____

Step 4: Find the length of each segment:

$m \overline{AB}$: _____ $m \overline{AC}$: _____ $m \overline{BC}$: _____
 $m \overline{FE}$: _____ $m \overline{DE}$: _____ $m \overline{DF}$: _____

What do you notice? _____

What can you prove about the four triangles you created with the midsegments?